

- INTRODUCTION
 - A. Multiple Experimental Designs
- Remember the task testing the impact of Nike vs. other Shoes on athletic performance.
- There were two possible experimental designs
- 1. Between-subjects design: A design in which participants contribute a score to only <u>one</u> level of the IV.
 - Nike or other shoes are randomly assigned to different samples of athletes

II. WITHIN-SUBJECTS DESIGN

- A. Defined
- 2. Within-subjects Design: A design in which participants contributes a score to <u>each level of</u> the IV.
 - The same participants receives each level of the IV.
 - Nike and other shoes are worn by the same sample of athletes.

II. WITHIN-SUBJECTS DESIGN

B. Why Use Within Subjects Designs?

1. Problems with random groups

- One problem with RG designs is insuring that participants are initially equal in all (potentially confounding) variables.
 - To insure equality use the same subjects.

2. Small Sample Size

- Depending on the number of levels of the IV, we may need many times the number of subjects to run the study as a between subjects design
- Within subjects design requires fewer participants.

II. WITHIN-SUBJECTS DESIGN B. Why Use?

3. Necessity.

- Some analyses <u>require</u> the study of changes in participants' performance over time (e.g., longitudinal designs, studies of learning).
 - Also psycho-physical studies require that participants contribute scores to a variety of different conditions.

4. Elegance

 It is most impressive to show the influence of an IV by demonstrating that the same participant's performance is profoundly altered.

II. WITHIN-SUBJECTS DESIGN

C. Major Problem

 Say we have a within subject design with an IV that has two levels (e.g. IV₁, IV₂) and we find the following

$$\begin{array}{ccc} & \text{IV}_1 & & \text{IV}_2 \\ \text{DV} & 10 & & 25 \end{array}$$

- Can we conclude that the performance is significantly affected by the IV?
 - Would it matter if the DV is...
 - correct performance on a math test
 - RT on a speed task?

II. WITHIN-SUBJECTS DESIGN

C. Major Problem

• 1. Practice/Fatigue Effect.

- There is a problem resulting from a confound between the IV levels and their ordinal position in the sequence of task presentation.
 - This confound may cause practice or fatigue effects or both.
 - Increase in RT may reflect fatigue (just getting tired or bored).
 - Increase in correct math test performance may reflect practice (increasing performance on similar tasks over time).

II. WITHIN-SUBJECTS DESIGN

C. Major Problem

2. Problem of Transfer

- Performance in one level of the IV may influence performance on the other level
 - Say we have two different orders for presenting the two levels of the IV.

Order	IV_1	IV_2
$IV_1 \rightarrow IV_2$.13	.13
IV₂ → IV₁	00	40

We can find order effects on performance, which is a problem, but also the basis for important findings.

II. WITHIN-SUBJECTS DESIGN C. Major Problem

- Practice/Fatigue effects and transfer are problems which are the result of carry-over.
- Carryover suggests that levels of the IV are not independent of each other.
 - Carryover (i.e., lack of independence) can not be solved.
 - To some it means you should never use withinsubject designs
 - While not solvable, it is manageable.

II. WITHIN-SUBJECTS DESIGN

- D. Solutions
- 1. Counterbalancing: Treatments are presented in different orders, so that carryover is distributed equally across each order.
- 1a: <u>Complete Counterbalancing</u>: Identifies every possible ordering of treatments and then assigns each order to <u>at least</u> one subject.
 - IV level (k) and ordinal position is unconfounded only by computing all possible orders (k! 3! = 3 x 2 x 1 = 6) and giving all orders to each participant or one order to each of k! groups of participants.

II. WITHIN-SUBJECTS DESIGN

- D. Solutions
- Each of the 6 possible orders of a 3-level IV can be given to the same subject over six trials

Ss: ABC/ACB/BAC/BCA/CAB/CBA

• Each of the 6 possible orders of a 3-level IV can be given to the different groups of participants.

G1 ABC

G4 BCA

G2. ACB

G5 CAB

G3 BAC

G6 CBA

■ But 4! = 24, 5!=120

II. WITHIN-SUBJECTS DESIGN

- D. Solutions
- **1b: Partial counterbalancing:** Participants receive a subset of all possible orders.
 - i. AB/BA counterbalancing design
 - One order and its opposite (e.g., ABC/CBA)
 - ii. Randomly Selected orders
 - A subset of orders with the proviso that each treatment appears equally often in each position
 - iii. Latin Square
 - Economic counterbalancing:
 - Treatments = orders

II. WITHIN-SUBJECTS DESIGN

D. Solutions

2. Minimizing carryover

- Training to asymptote: Lots of practice, so that practice effect would me minimized
- Time out period: A period of rest (or adaptation) so that fatigue is not a problem.

• 3. Making order an IV

- Treat order as IV to assess the extent of carryover.
- Differential Carryover effect is a problem to counterbalancing because it is assumed that different orders will have similar carryover effects.

II. WITHIN-SUBJECTS DESIGN

E. Types of Within Subjects Designs

■ 1. Single-Factor Two-Level

IV 1 2

2. Single Factor Multiple-Level

IV 2

3. Multi-Factor Factorial Design

 $\begin{array}{ccc} & & & & & IV_1 & & & IV_2 \\ & & & & IV_1 & \rightarrow IV_2 & & & \\ & & & & & IV_2 & \rightarrow IV_1 & & & \\ & & & & & & & & & \\ \end{array}$

II. WITHIN-SUBJECTS DESIGN

F. Statistical Issues

1. t-tests for correlated samples

- Null hypothesis for between-subjects design
 - $IV_1 = IV_2$
- Null hypothesis for within-subjects design
 - $IV_1 IV_2 = 0$

2. Repeated measures ANOVA

- F Ratio = SS between groups /SS within groups
- In within-subjects variable, it's the same F ratio, but subjects are treated as a factor in the analysis and are subtracted from SS within-groups.

II. WITHIN-SUBJECTS DESIGN

- G. Identifying designs and hypotheses
- Gleaning information from graphs.
 - This goes to the most central aspect of class: identifying connections between verbal, statistical, and graphical representations of ideas.
 - Spend some time learning how to do translations on these relatively easy tasks.

II. WITHIN-SUBJECTS DESIGN

- G. Identifying designs and hypotheses
- Draw and clearly label a graph that accurately represents the variables and their relationship described in each statement below (note: the IV in on the x axis and the DV is on the y axis).
 - Women have higher scores on tests of depression than do men.
 - Seniors have a higher GPA than do freshmen.
 - More adolescents than children reason at a formal operational stage level.

II. WITHIN-SUBJECTS DESIGN

- G. Identifying designs and hypotheses
- For each graph:
 - Identify the IV (specifying it as a <u>true</u> or a <u>subject</u> IV) and the DV.
 - Judge whether the study <u>could have been</u> an experimental design.
 - Judge whether the design was a between-subject (BS), within-subjects (WS), or potentially either (PE).

II. WITHIN-SUBJECTS DESIGN G. Identifying designs and hypotheses • For each of the following graphs, describe the relations depicted in words. В Α C Test Incidental Items \$core Learning correct Score Children Adults 0-2Rock **Hours Spent** Age Music Heard Studying While Rehearsing

II. WITHIN-SUBJECTS DESIGN

- G. Identifying designs and hypotheses
- For each graph:
 - Identify the IV, specifying it as a true or a subject IV.
 - Identify the dependent variable.
 - Judge whether the study <u>could have been</u> an experimental design.
 - Judge whether the design was a between-subject (BS), within-subjects (WS), or potentially either (PE).

III. FACTORIAL AND COMBINED DESIGNS A. Why Use Multivariable Designs?

- 1. Resolving Contradictions
 - Why researchers may disagree!
 - Researchers A and B disagree whether a treatment is effective with children. But, children of different ages may respond differently to different treatments: Age (2) by Treatment (2).
- 2. Greater Sensitivity
 - Interactions between IVs.
 - Multiple variables simultaneously studied is more sensitive measure of a phenomenon than separate studies of individual variables.

III. FACTORIAL AND COMBINED DESIGNS A. Factorial Designs Defined

- 1. Factorial Design: Separate group for each unique combination of independent variable levels.
 - One thing we can study is whether Psychological Literacy is affected by both Major Status and Class
 - Class Level (Intro, Advanced) and Major Status (Major/Minor vs. Neither)
 - This is called 2 by 2 factorial design
 - Participants contributed scores to each of 4 pairings of level of each IV (Status and Level)

III. FACTORIAL AND COMBINED DESIGNS A. Defined

- Between subjects study: Participants assigned to one of 4 groups, which are the result of pairing two IVs each with two levels.
 - Neither Students in Intro Class
 - Major/Minor in Intro Class
 - Neither Students in Advanced Class
 - Major/Minor in Advanced Class
- So a 2 x 2 design means that there are two IVs each with 2 levels so there are 4 (2 x 2) cells.

III. FACTORIAL AND COMBINED DESIGNS A. Defined

• How many IVs and parings between IVs (cells)?

IVs C (# of numbers) (x of the	ells e numbers)
2 x 2 2 4	
2 x 2 x 2 ?	
2 x 3 ?	
2 x 4 ?	
2 x 2 x 3 ?	
2 x 2 x 2 x 6 ?	

III. FACTORIAL AND COMBINED DESIGNS A. Factorial Repeated Measures Defined

Factorial repeated measures design: Each subject is exposed to every combination of levels of each IV.

- Say every student completed PAS in both conditions at the beginning and end of the semester
 - Perspective (Self and Prof)
 - Time (Beginning vs. End of semester)
- Study of the effect of Condition and Time on PAS which would explore the effects of the class on viewing psychology as a science.

III. FACTORIAL AND COMBINED DESIGNS A. Combined or Mixed Design Defined

- 2. Combined or Mixed Design (split plot design): Multiple IV which combine betweenand within-subjects variables.
 - Perspective (2) Within or Repeated Measures
 - Level (2) Between
 - Status (2) Between
- This is A 2 x 2 x 2 Combined design.
 - Predicted a Perspective by Status interaction effect as majors and minors are more likely to think like their profs.

III. FACTORIAL AND COMBINED DESIGNS A. Nested Design Defined

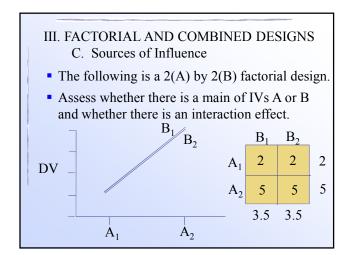
- Nested Design: Also combines multiple independent variables (could be used as a combined design too)
 - But the paring of IV levels is <u>partial</u> rather than <u>complete</u> (e.g. factorial)
 - Anagram Task (2) and Classroom (3), with Classroom nested in Anagram Task

III. FACTORIAL AND COMBINED DESIGNS

- C. Sources of Influence
- With multiple IVs studied in a single design, there are <u>multiple sources of influence on the</u> DV
 - Main Effects: Influence of individual IVs on the DV in a multivariable design.
 - Number of Main effects = the number of IVs.
 - Interaction Effects: Influence of one variable depends on another
 - Number of Interaction effects = number of combinations (pairs, triplets, etc) of IVs

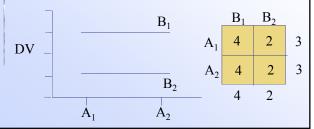
III. FACTORIAL AND COMBINED DESIGNS

- C. Sources of Influence
- In a 2 (A) x 2 (B) design:
 - 2 Main Effects (A; B)
 - 1 Interaction Effect (AxB)
- In a 2 (A) x 3 (B) design:
 - 2 Main Effects (A; B)
 - 1 Interaction Effect (AxB)
- In a 2 (A) x 2 (B) x 2 (C) design:
 - 3 Main Effects (A; B; C)
 - 4 Interaction Effects (AxB; BxC; AxC; AxBxC)



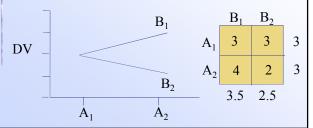
III. FACTORIAL AND COMBINED DESIGNS

- C. Sources of Influence
- The following is a 2(A) by 2(B) factorial design.
- Assess whether there is a main of IVs A or B and whether there is an interaction effect.



III. FACTORIAL AND COMBINED DESIGNS

- C. Sources of Influence
- The following is a 2(A) by 2(B) factorial design.
- Assess whether there is a main of IVs A or B and whether there is an interaction effect.



III. FACTORIAL AND COMBINED DESIGNS C. Sources of Influence • The following is a 2(A) by 2(B) factorial design. • Assess whether there is a main of IVs A or B and whether there is an interaction effect. DV B₁ B₁ B₂ A₂ 3 3 4 2

